

Microstructural Stress/Strain Inhomogeneity in MMCs

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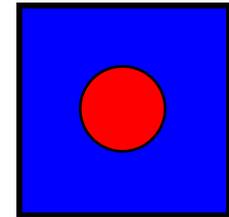
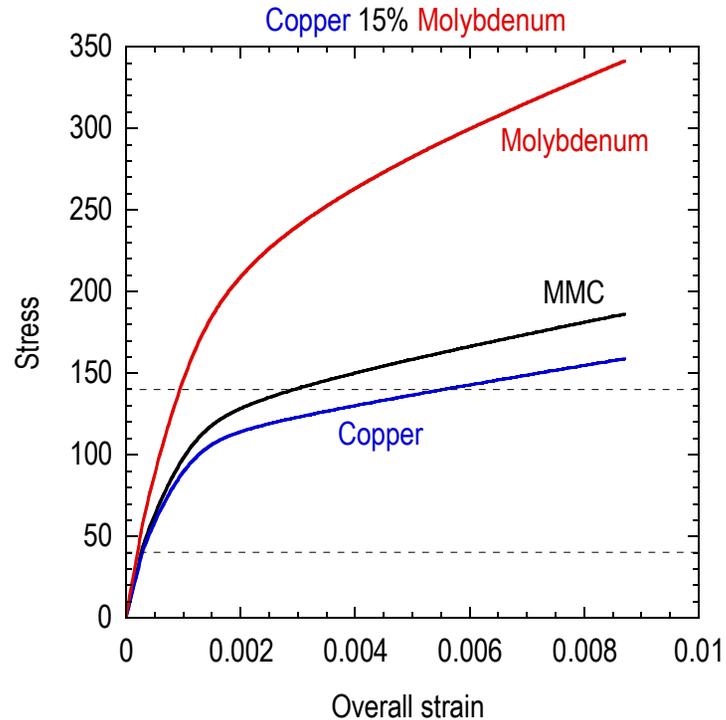
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Outline

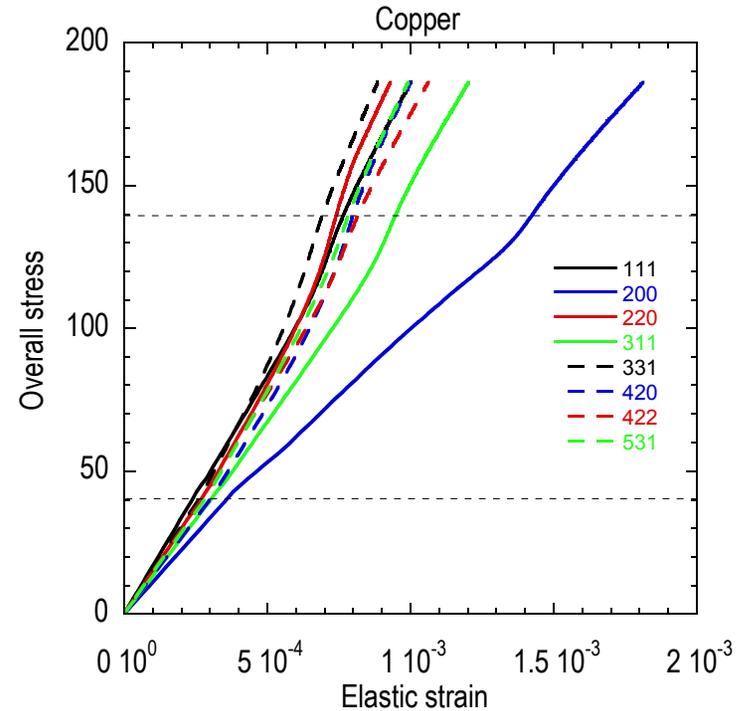
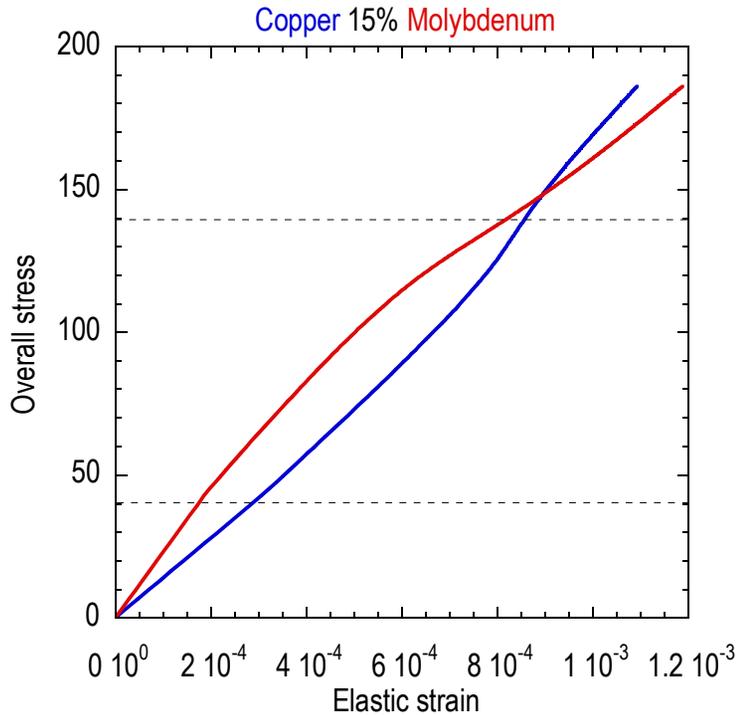
- Loading of a MMC
 - Elastic and plastic anisotropy
- Neutron Diffraction Measurements
 - Molybdenum Particulate Reinforced Copper (Cu/Mo)
- Model Predictions
 - Self-Consistent Model
- Conclusion

Loading of a MMC



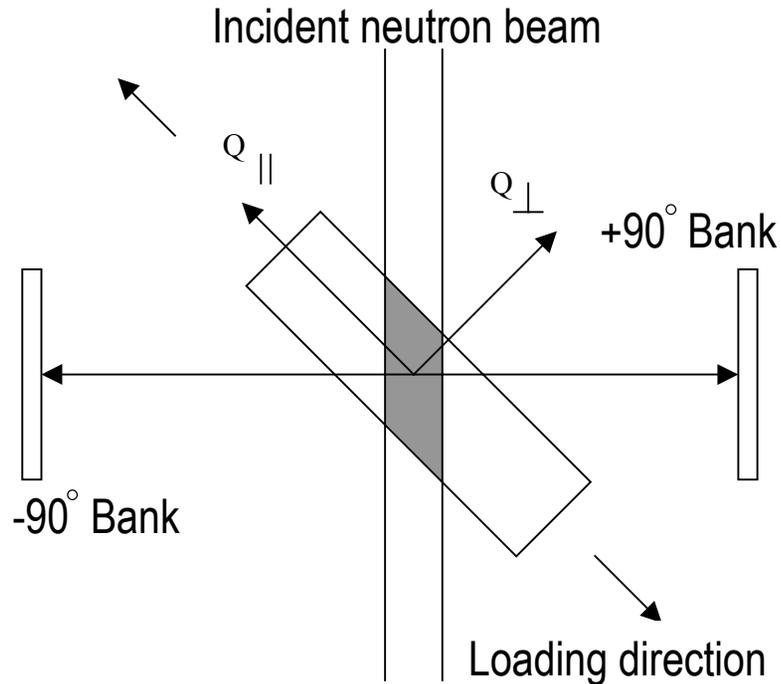
- Soft and ductile matrix (Cu); Stiff reinforcement (Mo)
- Load sharing between phases
- Elastic-plastic FEM (Isotropic), mean phase stresses and strains

Loading of a MMC



- Elastic and plastic anisotropy
 - Intergranular stresses and strains.
 - Effects on design limits for materials and component lifetime.

Neutron Diffraction Measurements



Neutron Powder Diffractometer (NPD):

Strain resolution for an *in-situ* loading measurement: 50×10^{-6}

11,000 Pounds, 400 °C

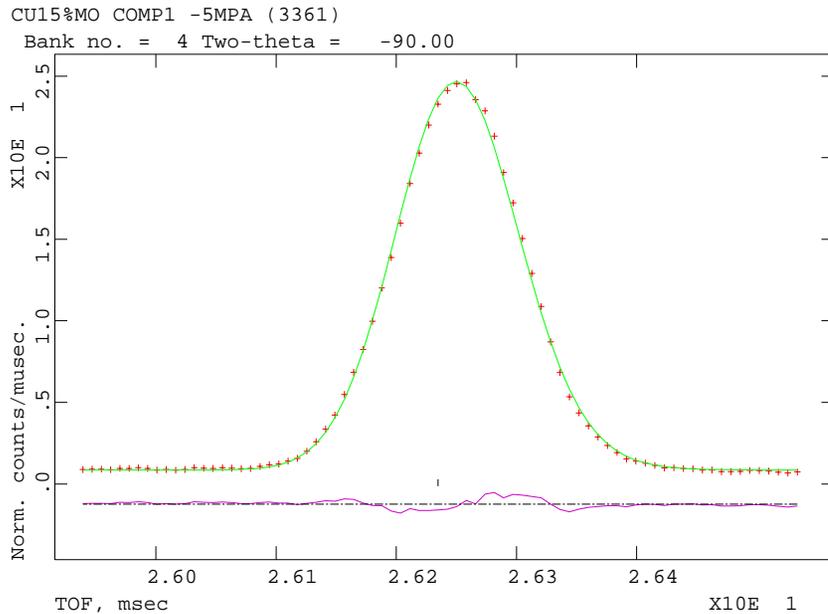
SMARTS:

Strain resolution: 50×10^{-6}

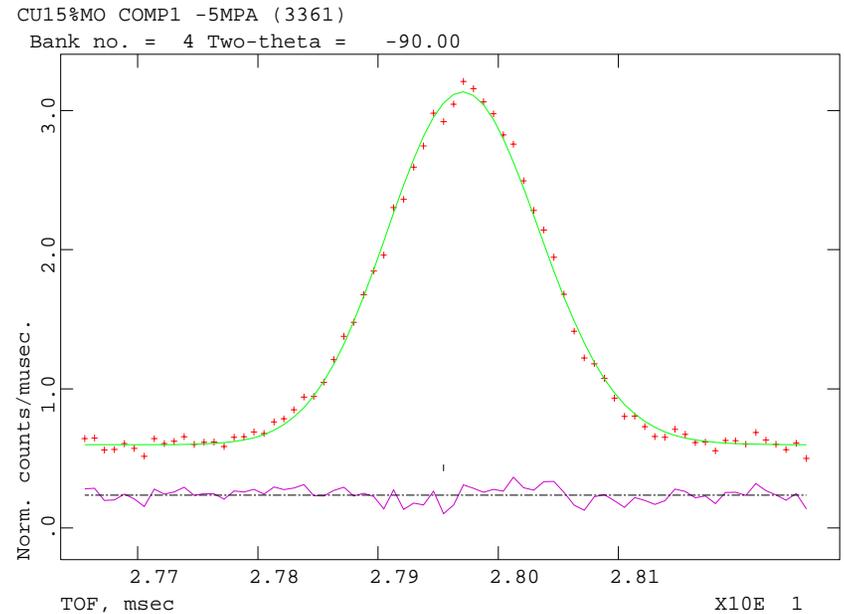
40,000 Pounds, 1500 °C, 1x1x1mm

- Lattice plane response in two directions simultaneously.
- In-situ bulk measurements, penetration dept on the order of cm.
- Typical count time is 1-3 hours.

Neutron Diffraction Measurements



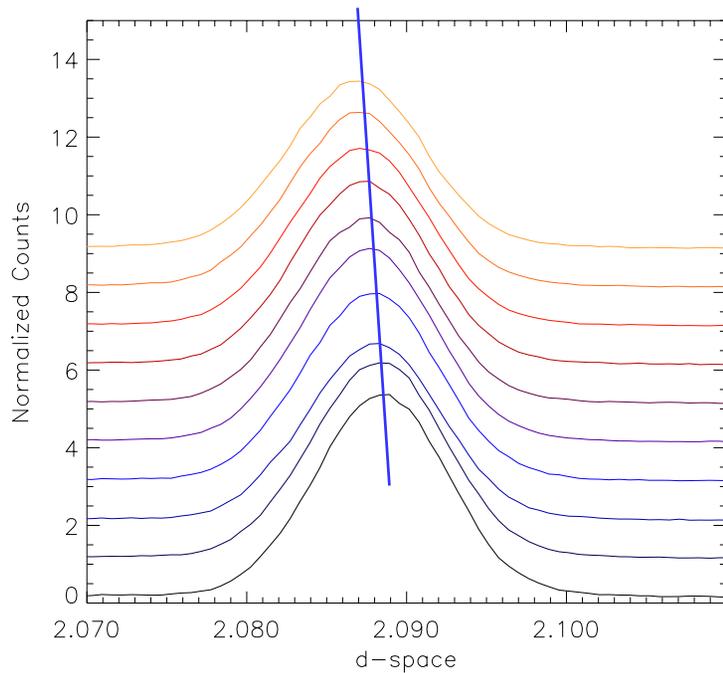
Copper 111



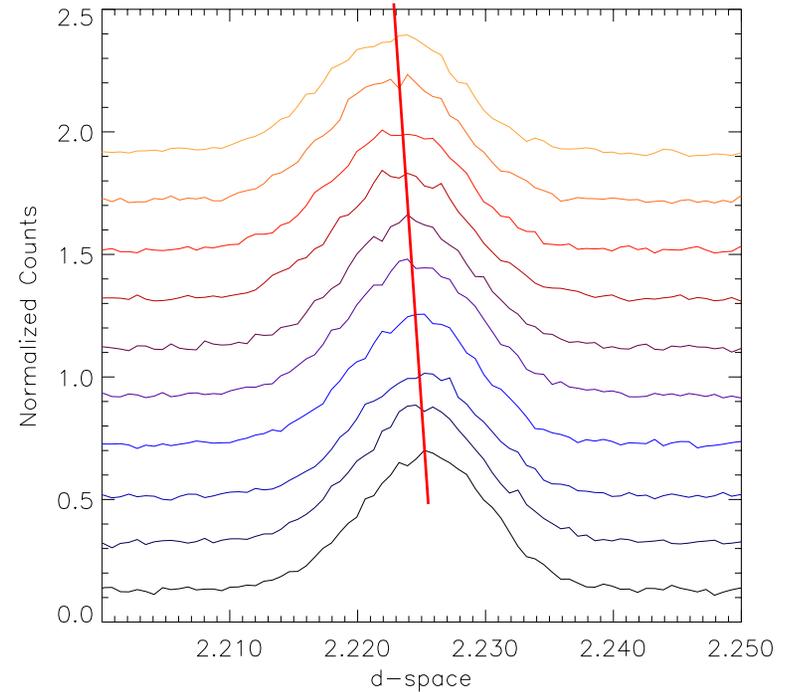
Molybdenum 110

- Single peak fitting allows us to determine lattice strains for specific reflections.
- Some peaks have rather poor intensity.

Neutron Diffraction Measurements



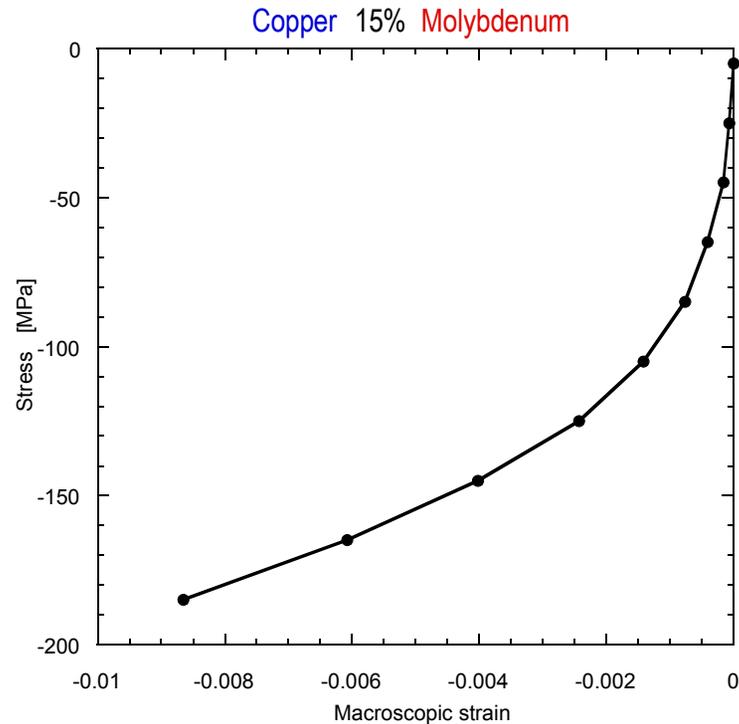
Copper 111



Molybdenum 110

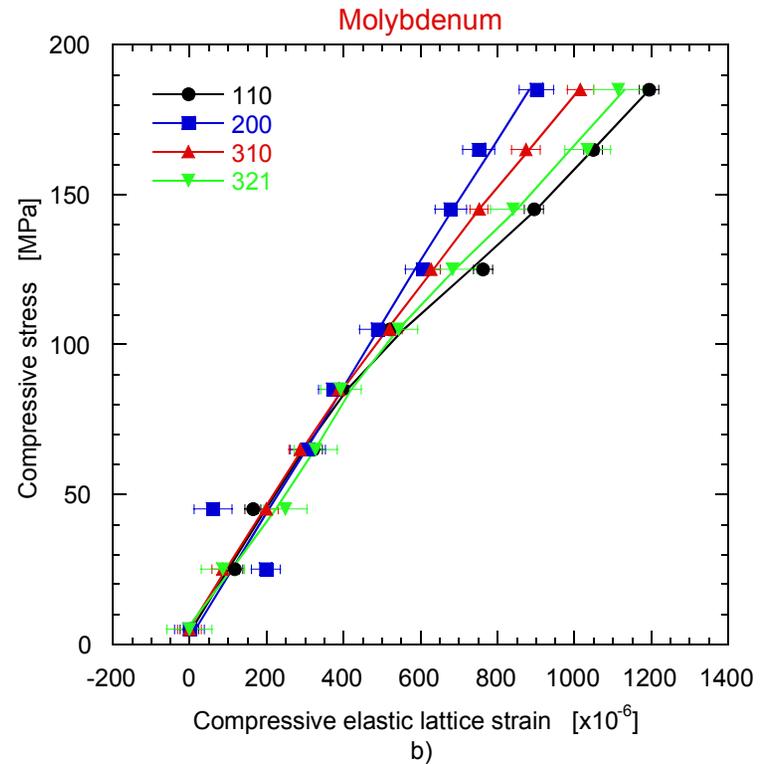
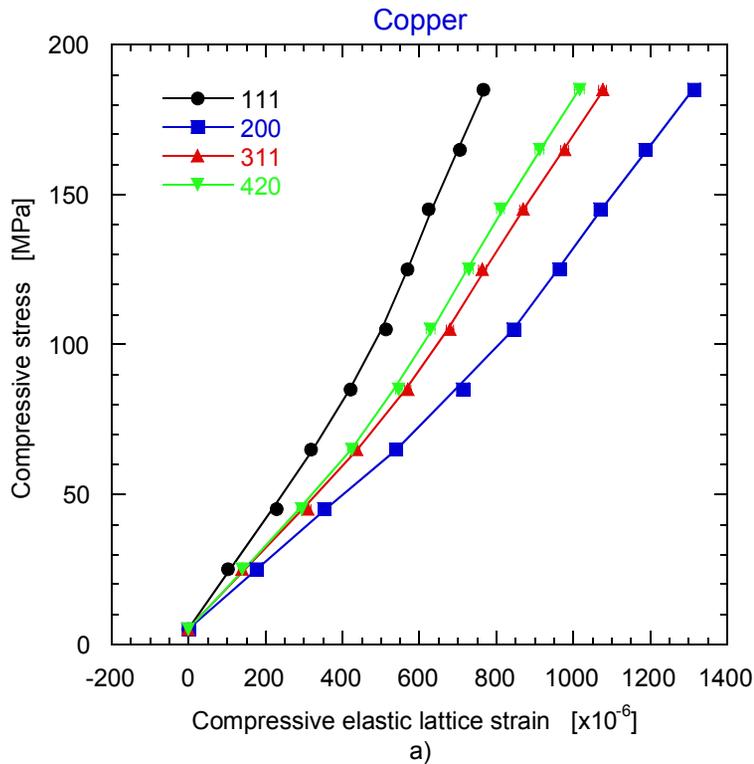
- Movement of peaks due to the applied stress.

Neutron Diffraction Measurements



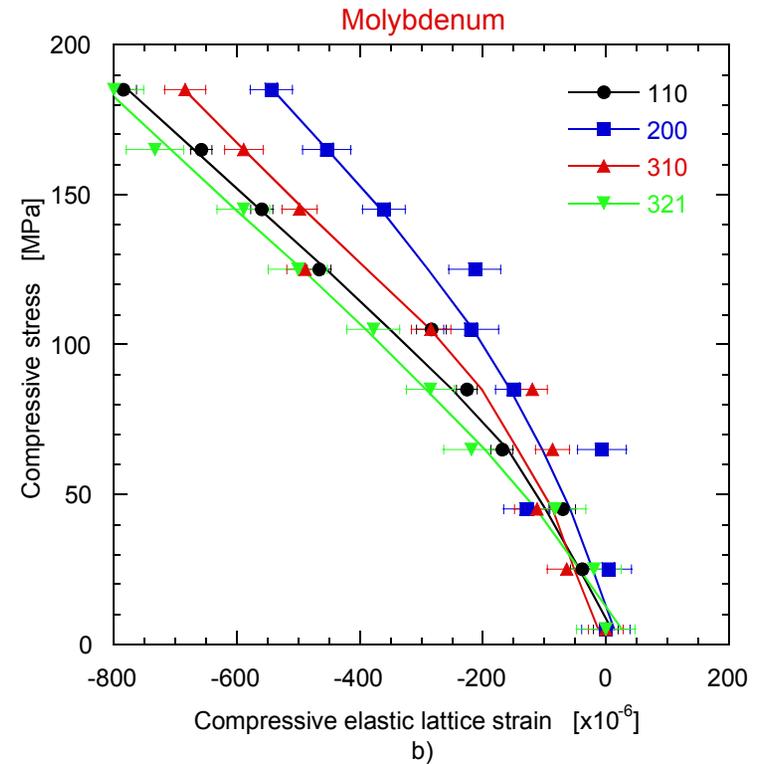
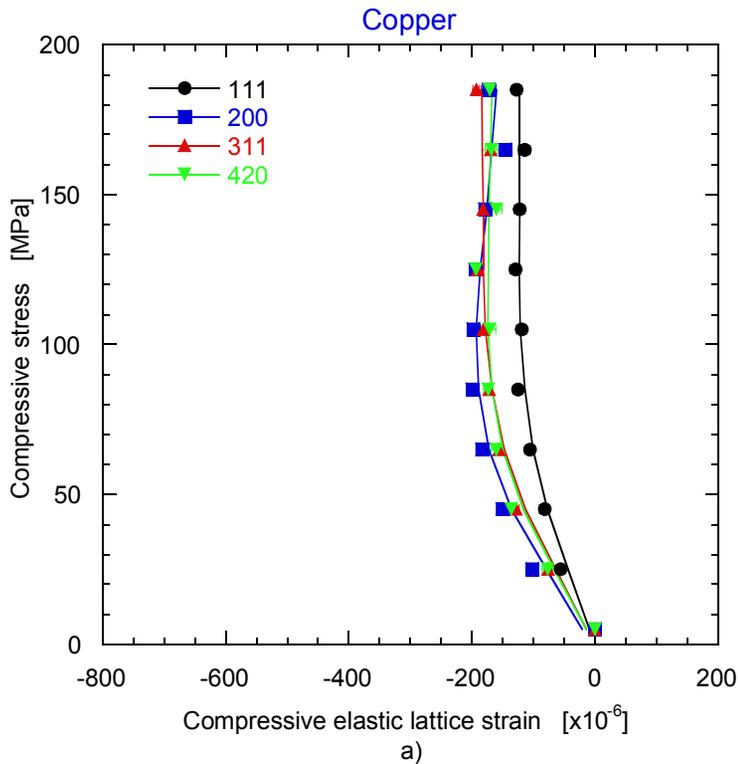
- Macroscopic stress strain curve for Cu/Mo particulate MMCs.
- The symbols indicate a neutron diffraction measurement.
- Plasticity starts at about 50 MPa and $\sigma_{0.2\%}$ is at about 140 MPa.

Molybdenum Particulate Reinforced Copper



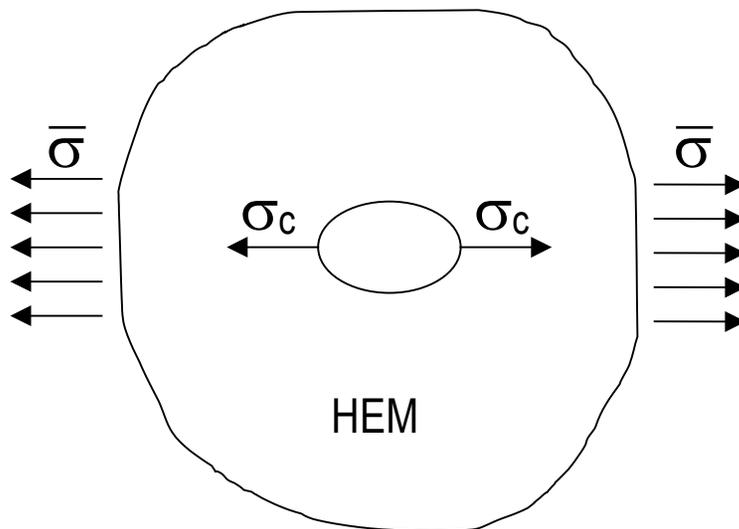
- Showing compressive stresses and strains.
- Lines are smooth fits to the data.
- Elastic anisotropy is very different in Copper and Molybdenum (3.21 and 0.87)

Molybdenum Particulate Reinforced Copper



- No increase in elastic strain for copper in the plastic region.
- Larger scatter in the molybdenum.

Self-Consistent Model



- Hill-Hutchinson self-consistent model. Eshelby type calculation.
- Overall material parameters are found as average over all grains.
- Do not include grain-to-grain interactions.
- Iteratively solve for the overall material parameters.
- Set of grains to represent texture of sample.
- Same level of detail as neutron diffraction. Average over many grains with different neighbors is similar to average over some grains in a HEM .

Self-Consistent Model

$$\dot{\epsilon}_c^P = \sum_i \dot{\gamma}^i \mu^i$$

$$\sigma_c \mu^i = \tau^i \quad \text{and} \quad \dot{\sigma}_c \mu^i = \dot{\tau}^i$$

$$\dot{\epsilon}_c = \mathcal{M}_c \dot{\sigma}_c + \dot{\epsilon}_c^P \quad \text{or} \quad \dot{\sigma}_c = \mathcal{L}_c (\dot{\epsilon}_c - \dot{\epsilon}_c^P)$$

$$\sum_j \dot{\gamma}^j X^{ij} = \mu^i \mathcal{L}_c \dot{\epsilon}_c, \quad X^{ij} = h^{ij} + \mu^i \mathcal{L}_c \mu^j$$

$$\dot{\tau}^i = \sum_j h^{ij} \dot{\gamma}^j \quad \text{where} \quad h^{ij} = h_\gamma (q \mp (-q) \delta^{ij})$$

$$\dot{\gamma}^i = \mathbf{f}^i \dot{\epsilon}, \quad \mathbf{f}^i = \sum_k Y^{ik} \mathcal{L}_c \mu^k$$

$$h_\gamma = h_{affi} \left(1 + (h_{ratio} - 1) e^{(-h_{exp} \gamma^{acc})} \right)$$

$$\mathbf{L}_c = \mathcal{L}_c \left(\mathbf{I} - \sum_m \mu^m \mathbf{f}^m \right)$$

Self-Consistent Model

$$\dot{\epsilon}_c = A_c \dot{\epsilon}, \quad A_c = (L^* + L_c)^{-1}(L^* + L)$$

$$L^* S = L(I - S)$$

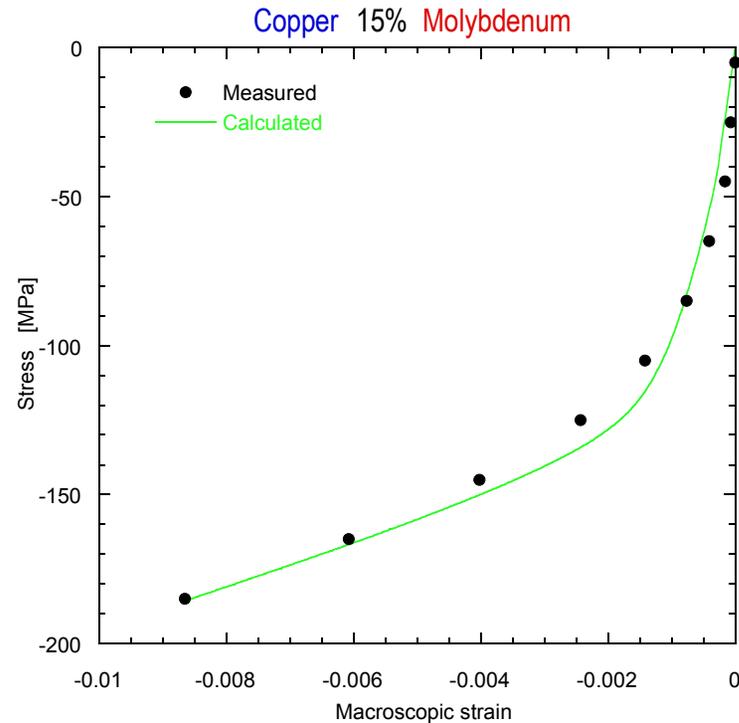
$$L^* = \Lambda^{-1} - L$$

$$\Lambda_{ijmn} = \frac{1}{16\pi} \int_{\theta=0}^{\pi} \int_{\phi=0}^{2\pi} \left(\hat{U}_{im} k_n k_j + \hat{U}_{jm} k_n k_i + \hat{U}_{in} k_m k_j + \hat{U}_{jn} k_m k_i \right) \sin \theta d\theta d\phi$$

$$L_{ijk} \hat{U}_{klm} k_j k_l = \delta_{im} k_1 \sin \theta \cos \phi k_2 \sin \theta \sin \phi k_3 \cos \theta$$

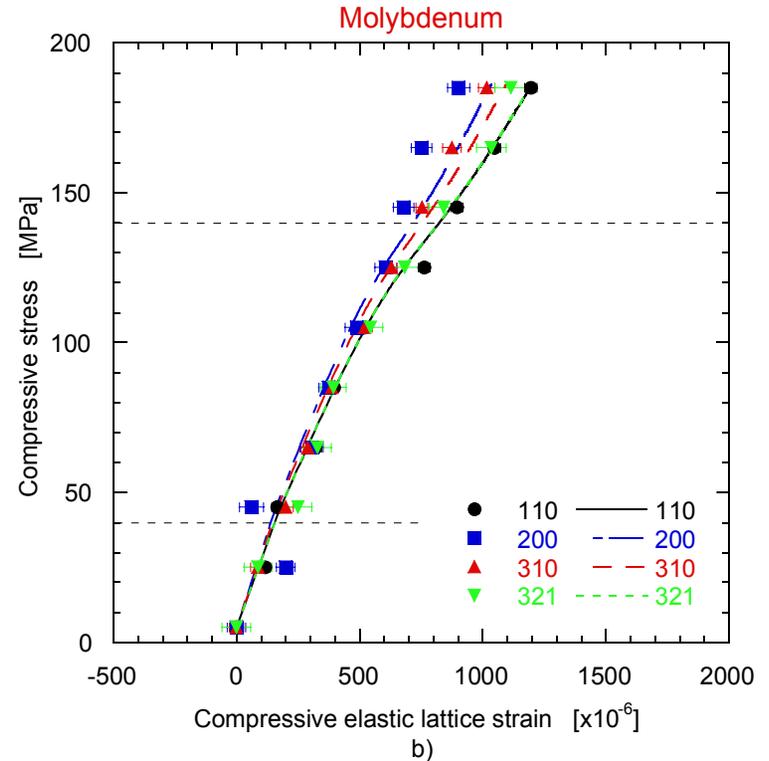
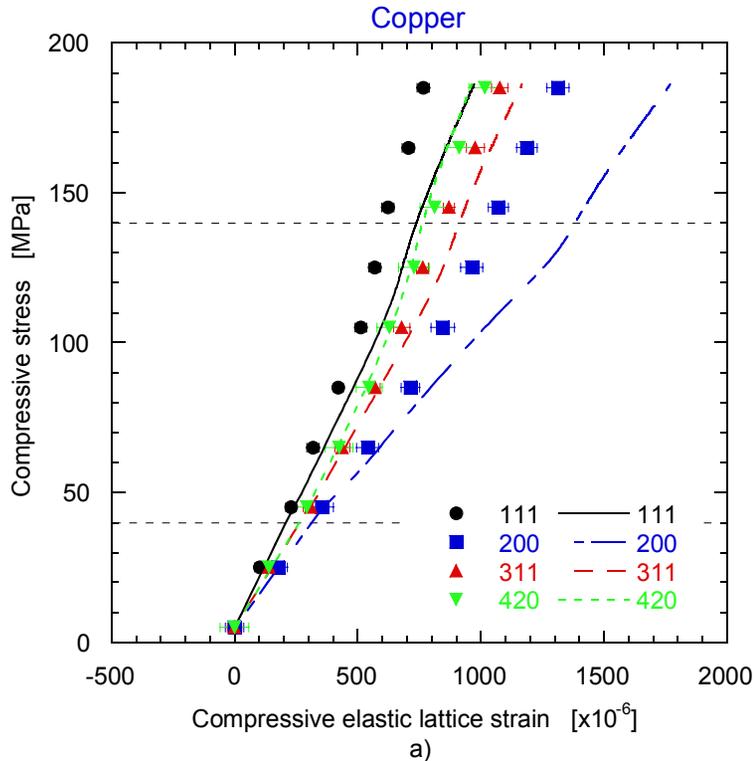
$$\{\dot{\sigma}_c\} = \dot{\sigma} \Rightarrow L = \{L_c A_c\}$$

Self-Consistent Model



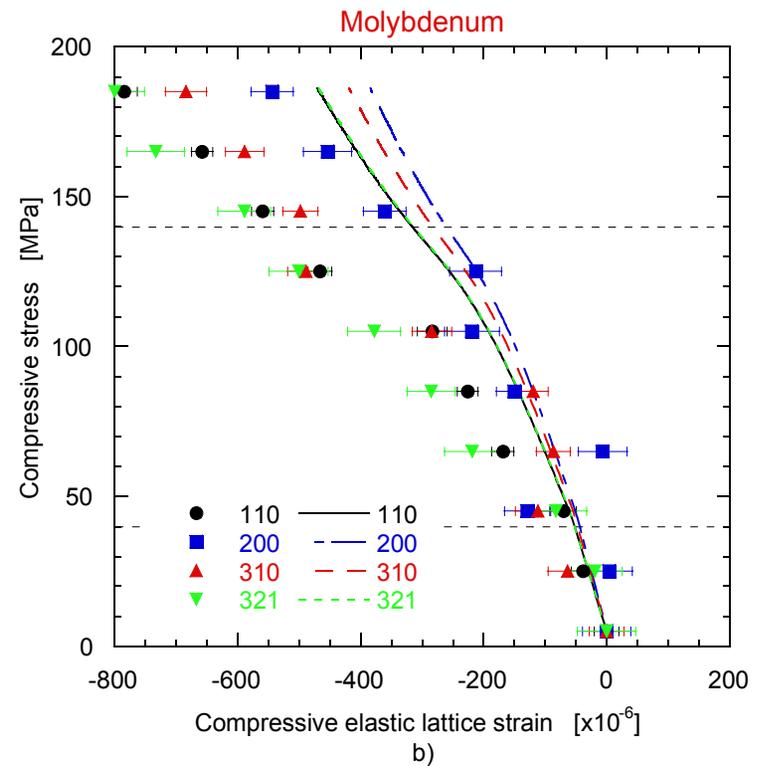
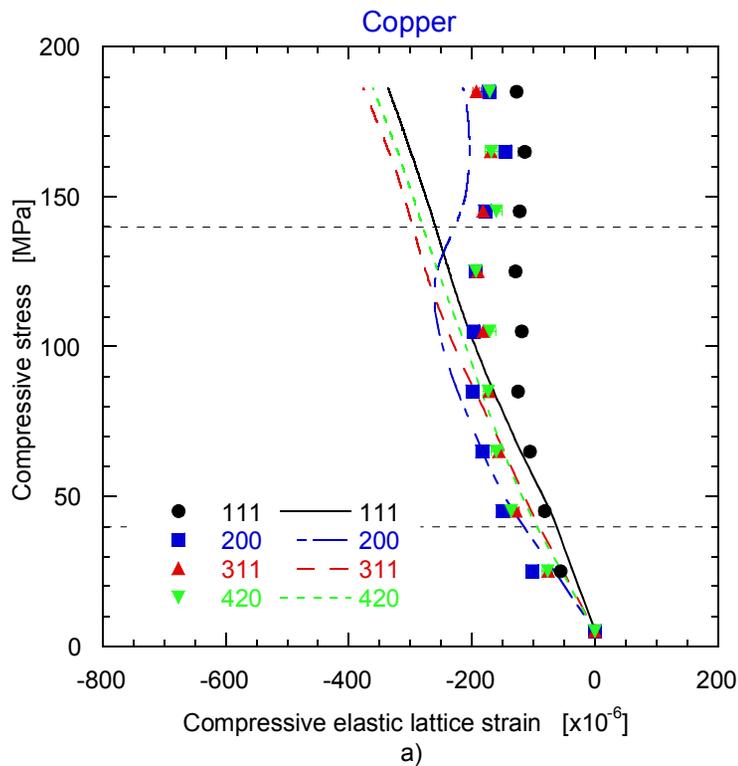
- Macroscopic response of the SCM fitted to the measured data using initial CRSS and hardening parameters.

Self-Consistent Model



- Good agreement in the elastic region.
- Plastic anisotropy of copper is slightly overestimated.
- Good agreement in plastic region for molybdenum.

Self-Consistent Model



- Reasonable agreement in the elastic region.
- For copper only the predictions for the 200 reflection follows the measured data.
- For molybdenum all the reflections are predicted softer than shown by the data.

Conclusion

- Good agreement in the elastic region.
- Poorer agreement in the plastic region
 - Near isotropic hardening law.
 - Dislocation theory.
- Predictions for the reinforcement (Mo) is more accurate than for the matrix (Cu) in the plastic region.
- Best agreement parallel to the compression axis. Well defined stress state.

Further Research

- Prediction of material behavior after production.
 - Intergranular stresses and strains.
 - Thermal Residual Stresses and strains (TRS).
 - Effects on component lifetime, design limits for materials.
- New capabilities:
 - Neutron diffraction:
 - SMARTS
 - Self-consistent Model
 - Two site model, grain-to-grain interaction, twinning, failure.
 - More crystal structures (hcp, tetragonal, etc.)